



**STEPS TO CALCULATE CONFIDENCE LIMITS FOR SILVICULTURE SURVEYS**

df	95% (.05, 1 TAILED)	STEPS TO CALCULATE CONFIDENCE LIMITS
	90% (.05, 2 TAILED)	
4	2.132	<p>n = # of plots  <math>x_i</math> = # of well-spaced trees in plot  <math>\Sigma</math> = summation of</p> $s = \sqrt{\frac{\Sigma x_i^2 - (\Sigma x_i)^2/n}{n - 1}}$ <p>p = plot multiplier            LCL = lower confidence limit            MSS = minimum stocking standard            e = desired precision level</p> <ol style="list-style-type: none"> <li>Calculate mean of well-spaced trees (<math>\bar{x}</math>).</li> <li>Calculate standard deviation (s).</li> <li>Calculate standard error of mean  <math display="block">s_{\bar{x}} = s/\sqrt{n}</math></li> <li>Find t value for 90% &amp; n - 1 df.</li> <li>Multiply t value by <math>s_{\bar{x}}</math> which equals the Confidence Interval (CI)  <math display="block">\bar{x} \pm CI</math> <p>This can be expressed as average per plot or multiplied by 200 (plot multiplier for 50m<sup>2</sup> plots) to convert to stems/ha.</p></li> <li>Compare <math>\bar{x}</math> and CI to the following decision rules:               <ol style="list-style-type: none"> <li>If <math>\bar{x} - CI \geq MSS</math>, then the area is considered SR. No further plots are required.</li> <li>If <math>\bar{x} &lt; MSS</math>, then the area is considered NSR. No further plots are required.</li> <li>If <math>\bar{x} &gt; MSS</math> and <math>\bar{x} - CI &lt; MSS</math>, establish more plots to obtain a sample estimate within <math>\pm 10\%</math> when <math>\bar{x} &gt; 1,000</math> s/ha (e = <math>\pm .1\bar{x}</math>)  <math>\pm 100</math> s/ha when <math>\bar{x} &lt; 1,000</math> s/ha at 90% CI (e = <math>\pm .5</math> for 50 m<sup>2</sup> plots)</li> </ol> </li> </ol>
5	2.015	
6	1.943	
7	1.895	
8	1.860	
9	1.833	
10	1.812	
11	1.796	
12	1.782	
13	1.771	
14	1.761	
15	1.753	
16	1.746	
17	1.740	
18	1.734	
19	1.729	
20	1.725	
21	1.721	
22	1.717	
23	1.714	
24	1.711	
25	1.708	
26	1.706	
27	1.703	
28	1.701	
29	1.699	
30	1.697	
40	1.684	
60	1.671	
120	1.658	
$\infty$	1.645	

**TESTING THE DIFFERENCE BETWEEN TWO MEANS**  
**STEPS TO TEST DIFFERENCE**

1.  $H_0: |\mu_M - \mu_L| = d$   
THE DIFFERENCE BETWEEN MIN. AND LIC. POP'N IS d.
2.  $H_1: |\mu_M - \mu_L| > d$   
THE DIFFERENCE IS GREATER THAN d.
3. CHOOSE LEVEL OF SIGNIFICANCE  $\alpha = 5\%$  (1 TAILED TEST).
4. CRITICAL REGION:  $T > t_{\alpha}$   
WHERE T IS A RANDOM VARIABLE WITH A t DISTRIBUTION AND  $n_M + n_L - 2$  df.
5. COMPUTE  $\bar{x}_M$  and  $\bar{x}_L$  and  $s_p$  FROM INDEPENDENT RANDOM SAMPLES OF SIZE  $n_M$  &  $n_L$  AND CALCULATE:  

$$t = \frac{|\bar{x}_M - \bar{x}_L| - d}{s_p \sqrt{1/n_M + 1/n_L}}$$
6. REJECT  $H_0$  IF  $t > t_{\alpha}$ , OTHERWISE ACCEPT  $H_0$ .

**VARIABLE LIST**

$H_0$ & $H_1$	HYPOTHESES BEING TESTED.	$\bar{x}_M$ & $\bar{x}_L$	SAMPLE MEANS FOR MIN. & LIC.
$\mu_M$ & $\mu_L$	MIN. & LIC. POP'N MEANS	$s_L$ & $s_M$	STANDARD DEVIATIONS FOR MIN. & LIC.
d	ACCEPTABLE DIFFERENCE BETWEEN $\mu_M$ & $\mu_L$ (.5 or 100 s/ha FOR SURVEYS)	$s_p$	POOLED SAMPLE STANDARD DEVIATION
$\alpha$	LEVEL OF SIGNIFICANCE (95% COINFIDENT, 1 TAILED)		
$n_M$ & $n_L$	NO. OF PLOTS FOR MIN. & LIC.		$s_p = \sqrt{\frac{(n_M - 1) s_M^2 + (n_L - 1) s_L^2}{n_M + n_L - 2}}$
t	TEST STATISTIC		
$t_{\alpha}$	t VALUE FOR $\alpha = 5\%$ & $n_M + n_L - 2$ df. CRITICAL VALUE OF THE t DISTRIBUTION.	$T > t_{\alpha}$	CRITICAL REGION
		df	DEGREES OF FREEDOM